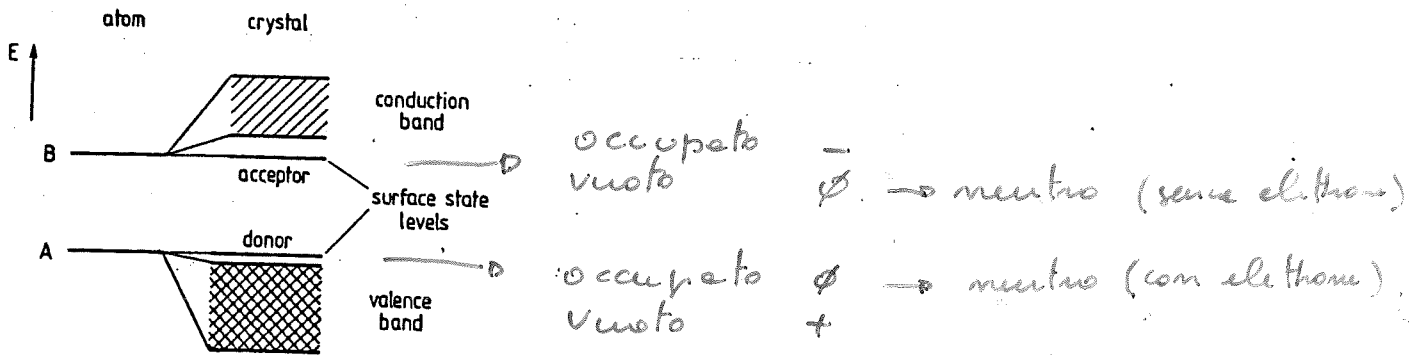
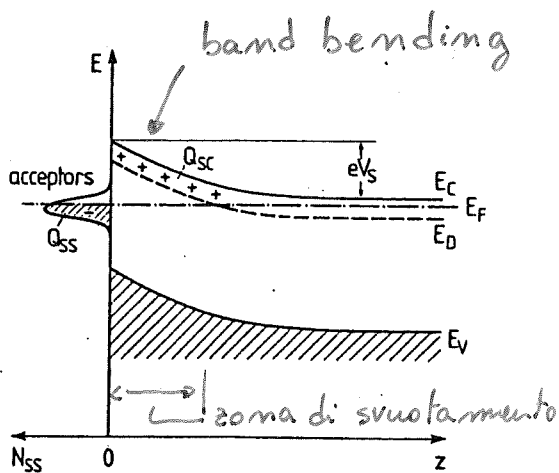


# STATI DI SUPERFICIE

$Q_{SS} = -Q_{SC}$   
 ↑  
 ↳ densità di carica speciale  
 densità di carica superficiale (stati di superficie)



**Fig. 6.5.** Qualitative explanation of the origin of surface states in the tight-binding picture. Two atomic levels A and B form the bulk valence and conduction bands, respectively. Surface atoms have fewer bonding partners than bulk atoms and thus give rise to electronic energy levels that are closer to those of the free atoms, i.e. surface state levels are split off from the bulk bands. Depending on their origin, these states have acceptor- or donor-like charging character



- a) distanza SS -  $E_C$  fissata
- b) se non c'è banding, tutti gli stati di superficie  $< E_F \rightarrow$  occupati
- c) Per neutralità di carica  $\rightarrow$  banding  
 $Q_{SS} = -Q_{SC}$   
 ↓  
 posizione  $E_F \rightarrow eV_s$
- d) zone di svuotamento  $\rightarrow$  no canali liberi!

**Fig. 7.1.** Band scheme (band energy  $E$  versus  $z$  coordinate normal to the surface  $z = 0$ ), for an n-doped semiconductor with depletion space-charge layer at low temperature (bulk donors not ionized). Partially occupied acceptor type surface states (density  $N_{SS}$ ) are also indicated. Their charge  $Q_{SS}$  is compensated by the space charge  $Q_{SC}$ .  $E_F$  is Fermi energy,  $E_C$  and  $E_V$  conduction- and valence-band edges, respectively, and  $E_D$  the energy of the bulk donors. The band bending at the surface is  $eV_s$ , with  $e$  being the positive elementary charge

p-type

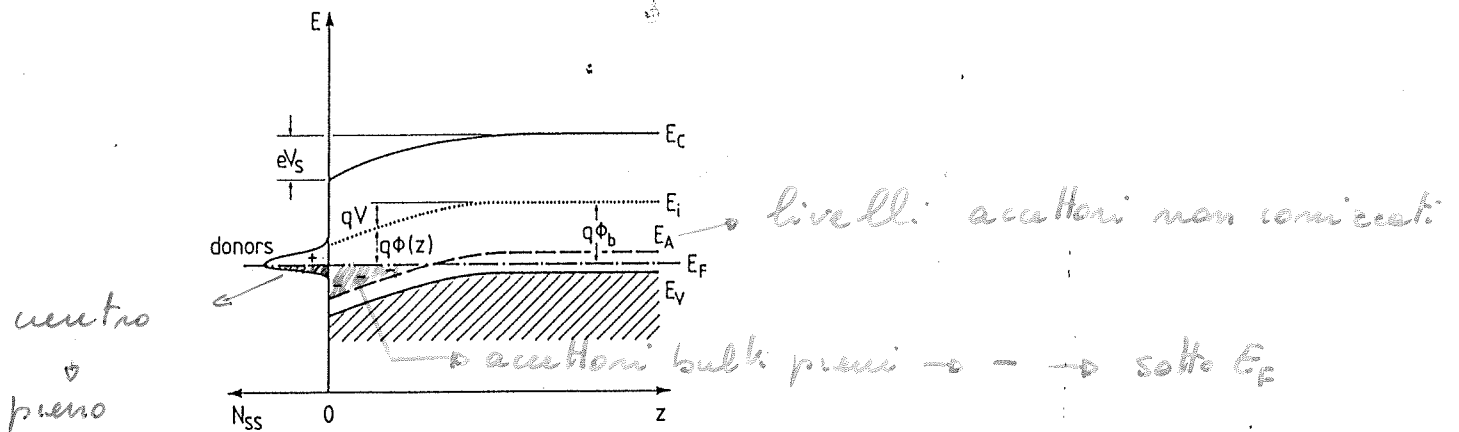


Fig.7.3. Band scheme of a hole depletion space-charge layer on a p-doped semiconductor at low temperature (bulk acceptors not ionized).  $eV_s$  is the band bending at the surface,  $eV(z)$  the local band bending,  $\phi(z)$  the local potential and  $\phi_b$  the potential in the bulk.  $E_i$  is the intrinsic energy,  $E_F$  the Fermi energy,  $E_A$  the energy of bulk acceptors and  $E_C$  and  $E_V$  as in Fig.7.1

ENERGIA POTENZIALE  
LOCALE

$$e\phi(z) = E_F - E_F^i(z)$$

↳ CARICA ELETTRICA > 0

$$e\phi_s = E_F - E_F^{i,s} \quad \text{superficie}$$

$$e\phi_b = E_F - E_F^{i,b} \quad \text{bulk}$$

"DEFORMAZIONE" LOCALE DELLA BANDA

$$V(z) = \phi(z) - \phi_b$$

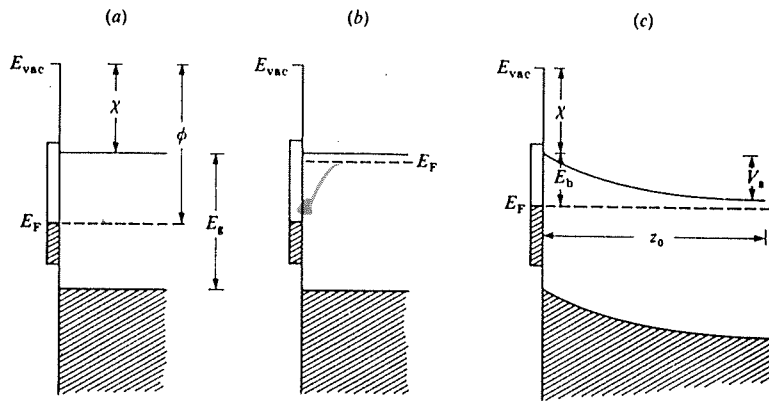
$$V=0 \text{ nel bulk, } \phi(z) = \phi_b$$

$$V_s = \phi_s - \phi_b$$

POTENZIALE ALLA SUPERFICIE

$$eV_s = \text{band bending}$$

Fig. 9.15. Electron energy levels near the surface of a clean semiconductor: (a) undoped sample; (b) disequilibrium between n-type bulk and its surface; (c) band bending and Fermi level pinning at equilibrium.



$eV_s = \text{BAND BENDING}$

$\chi = \text{AFFINITA'}$

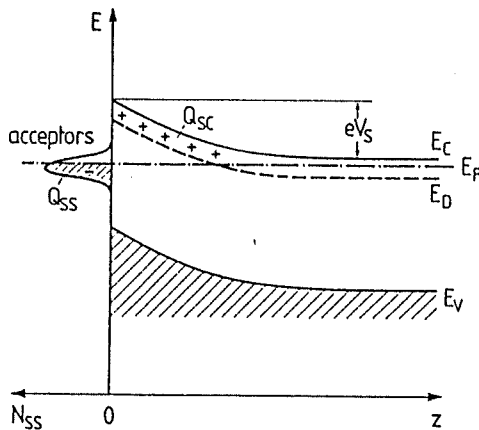


Fig. 7.1. Band scheme (band energy  $E$  versus  $z$  coordinate normal to the surface  $z = 0$ ), for an n-doped semiconductor with depletion space-charge layer at low temperature (bulk donors not ionized). Partially occupied acceptor type surface states (density  $N_{SS}$ ) are also indicated. Their charge  $Q_{SS}$  is compensated by the space charge  $Q_{sc}$ .  $E_F$  is Fermi energy,  $E_C$  and  $E_V$  conduction- and valence-band edges, respectively, and  $E_D$  the energy of the bulk donors. The band bending at the surface is  $eV_s$ , with  $e$  being the positive elementary charge

$Q_{SS} = \text{densita' di carica superficiale}$

$Q_{sc} = \text{densita' di carica spaziale}$

NEUTRALITA'  $\rightarrow Q_{sc} = -Q_{SS}$

# STRATO DI SVUOTAMENTO DI CARICA SPAZIALE DI SCHOTTKY

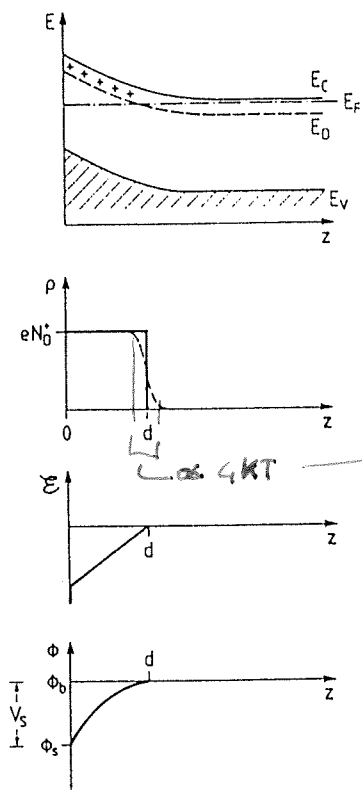


Fig. 7.4a-d. A depletion layer on an n-type semiconductor in the Schottky approximation: (a) Band scheme with symbols as in Figs. 7.1-3. (b) Volume density  $\rho$ , of the space charge, realistic density (broken line) and Schottky approximation (full line).  $d$  is the thickness of the space-charge layer and  $N_D^+$  the density of the ionized bulk donors. (c) Electric field  $\mathcal{E}(z)$  in the space charge layer. (d) Electric potential  $\phi(z)$  with values  $\phi_b$  and  $\phi_s$  in the bulk and at the surface, respectively

$\rightarrow$  Se  $eV_s \gg kT \Rightarrow \frac{eV_s}{kT} \gg 1$   
 $f = \frac{1}{e^{(E-E_F)/kT} + 1} \approx 0$   
 $|eV_s| \gg kT$   
 $\downarrow$   
 $|a_s| \gg 1$

BANDA MOLTO PIEGATA  $\rightarrow$  POCCHI ELETTRONI LIBERI

$\rho(z) = \frac{Q_{sc}}{d} = \frac{e N_D^+ d}{d} \sim e N_D$   
 funzione e step  
 $\rightarrow$  zone di svuotamento  
 $\rightarrow$  Tutti donori ionizzati  
 $\rightarrow$  densità di cariche + per neutralizzare i  $Q_{ss}$  negativi (densità di carica per unità di area)

$$\frac{d^2 V}{dz^2} = -\frac{\rho}{\epsilon} = -\frac{e N_D}{\epsilon}$$

n-type

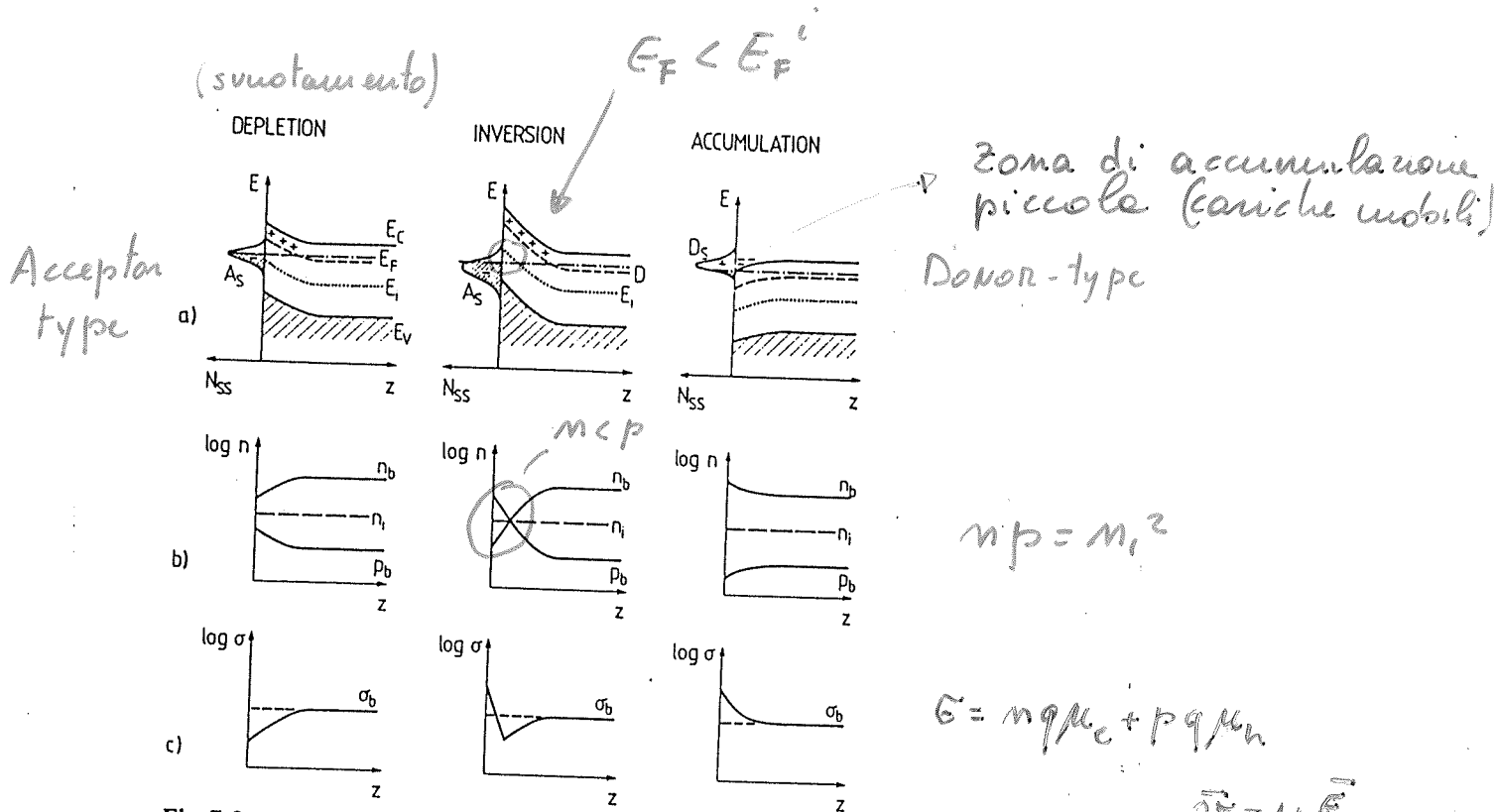


Fig. 7.2a-c. Illustrating the n-type semiconductor: Schematic plots of band schemes (a), free carrier densities  $n$  and  $p$  on a logarithmic scale (b) and local conductivity  $\sigma$  (logarithmic scale) (c) for depletion, inversion and accumulation space charge layers at low temperature (bulk donors not ionized).  $E_c$ ,  $E_v$  are the conduction- and valence-band edges,  $E_f$  the Fermi energy,  $E_i$  and  $n_i$  intrinsic energy and concentration, respectively.  $D$  denotes bulk donors,  $A_s$  and  $D_s$  surface acceptors and donors, respectively. The subscript  $b$  denotes bulk values

$$E_F^i = \frac{E_v + E_c}{2} + \frac{kT}{2} \ln \frac{N_v}{N_c}$$

$\hookrightarrow E_F$  intrinseco

$$N_v = 2 \left( \frac{2\pi m_h kT}{h^2} \right)^{3/2}$$

$$N_c = 2 \left( \frac{2\pi m_e kT}{h^2} \right)^{3/2}$$

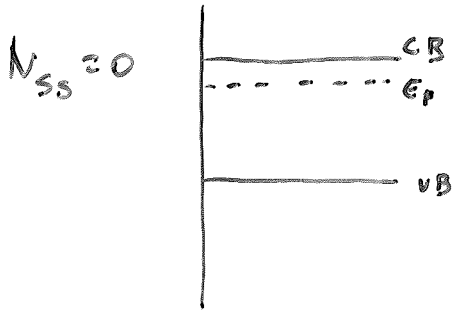
$$E_F - E_c = kT \ln \frac{N_D}{N_c}$$

per  $n = N_D$ , tutti i donatori ionizzati

$\hookrightarrow E_F$  per n-type

# FERMI LEVEL PINNING (STABILIZZAZIONE)

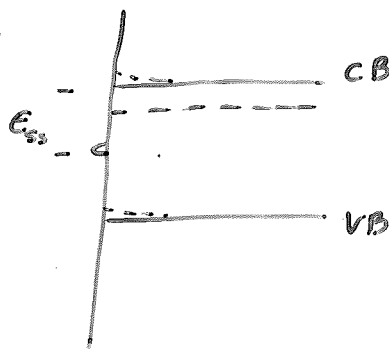
$N_{SS}$  = concentrazione ( $\text{cm}^{-2}$ ) stati di superficie



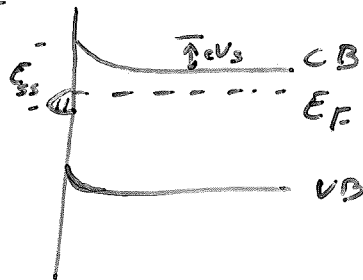
$E_{SS}$  = energia ss rispetto a CB

$N_{SS}$  piccolo  $\sim 10^{10} \text{ cm}^{-2}$

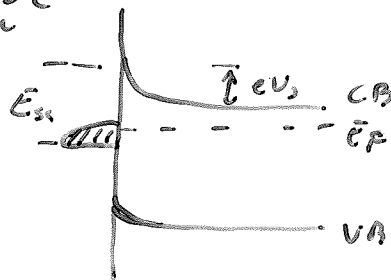
$N_{SS}$  pieni  
piccolo Band Bending



$N_{SS}$  intermedia  $\sim 10^{12} \text{ cm}^{-2}$

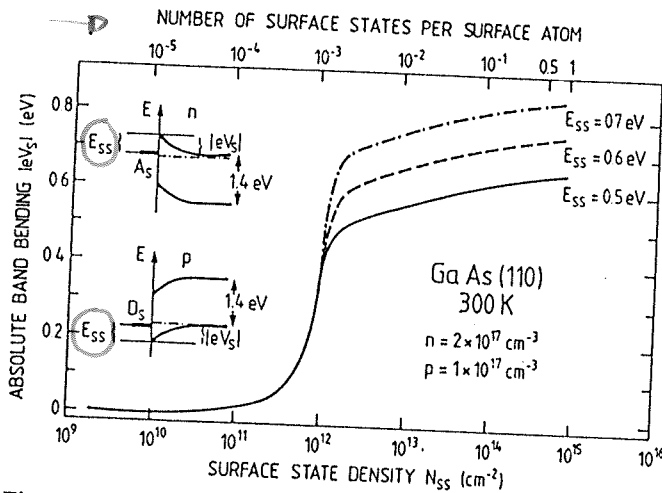


$N_{SS}$  Alto  $\sim 10^{14} \text{ cm}^{-2}$



Se  $N_{SS}$  cresce ancora  $\rightarrow$   $eV_s$  deve crescere, ma  $E_{SS}$  è fisso per cui i S.S. tendono ad uscire da  $E_F$ , cioè diminuiscono gli stati S.S. non occupati  $\rightarrow$   $eV_s$  non aumenta  $\rightarrow$   $E_F$  bloccato dagli S.S.

# CASO NUMERICO su GaAs ( $E_g = 1.4\text{ eV}$ )



$E_{ss}$  = distanza livello superficiale - CB, (o VB)

Fig. 7.7. Calculated absolute band bending  $|V_s|$  due to an acceptor surface-state level  $A_s$  and a donor level  $D_s$  for n- and p-type GaAs.  $|V_s|$  is plotted versus the surface state density  $N_{ss}$  (lower scale) and related to the number of surface states per surface atom (upper scale). With the different definition of the energetic position  $E_{ss}$  for n- and p-type crystals (insets) the calculated curves for n- and p-type material are not distinguishable on the scale used [7.3]

Per  $N_{ss} < 5 \cdot 10^{11} \text{ cm}^{-2}$   $|eV_s| \approx 0$

(Densità di atomi in superficie  $\sim 10^{15} - 10^{16} \text{ cm}^{-2}$ )

$N_{ss} > 5 \cdot 10^{12} \text{ cm}^{-2}$   $|eV_s| \sim \text{costante per } E_{ss}$

$E_F \sim \text{costante} \rightarrow$  PINNING di  $E_F$

$E_F \sim$  sul livello di superficie

normale concentrazione di stati di superficie

sempre PINNING